# **Shipping Plan**

#### **Problem Description**

In 2044 AD, humanity entered the cosmic epoch.

There are n planets in country L and n-1 two-way routes, each of which is established between two planets. These n-1 routes connect all the planets in L.

P is in charge of a logistics company. The company has many shipping plans. Each shipping plan is like this: there is a logistics ship that needs to fly from planet  $U_i$  to planet  $V_i$  along the fastest space path. Obviously, it takes time for a ship to travel through a route. For route j, it takes  $t_j$  time for any ship to travel through it, and there is no interference between any two ships.

To encourage scientific and technological innovation, the king of country L agrees to allow P's logistics company to participate in the route construction of country L, that is, allow P to transform a route into a wormhole, and the spaceship will pass through the wormhole without consuming time.

Before the completion of the wormhole construction, P's logistics company pre-connected M transportation plans. After the construction of the wormhole is completed, these m shipping plans will start at the same time, and all ships will depart together. When all the M shipping plans are completed, the stage work of P's logistics company will be completed.

If P is free to choose which channel to transform into a wormhole, try to find out what is the shortest time it takes for P's logistics company to complete the phased work.

### Input

The first line includes two positive integers n and m, representing the number of planets in country L and the number of shipping plans pre-connected by small P. The planets are numbered from 1 to n.

The next n-1 lines describe the construction of the routes, where line i contains three integers  $a_i$ ,  $b_i$ , and  $t_i$ , which means that the two-way route i is built between the two planets  $a_i$  and  $b_i$ , and it takes  $t_i$  time for any spacecraft to pass through it.

The next M lines describe the situation of the shipping plan, where the  $j^{th}$  line contains two positive integers  $u_j$  and  $v_j$ , indicating that the  $j^{th}$  shipping plan is to fly from planet  $u_j$  to planet  $v_j$ .

### Output

There is an integer representing the minimum time it takes for P's logistics company to complete the stage work.

# Sample Input

# Sample Output

### Data Range

The range and characteristics of all test data are shown in the table below:

Test Point	n=	m=	Constraints
1	100	1	
2		100	The ith route connects ith planet and i+1th planet
3			
4	2000	1	]
5	1000	1000	The ith route connects ith planet and i+1th plane
6	2000	2000	
7	3000	3000	
8	1000	1000	
9	2000	2000	1
10	3000	3000	1
11	80000	1	
12	100000		
13	70000	70000	The ith route connects ith planet and i+1th plane
14	80000	80000	
15	90000	90000	
16	100000	100000	
17	80000	80000	
18	90000	90000	1
19	100000	100000	]
20	300000	300000	
All data			l≤a,,b,u,vj≤n,0≤ti≤1000

Be aware of the constant factor effect on program efficiency.

For 100% of the data, guarantee:  $1 \leq a_i, \, b_i \leq n, \, 0 \leq t_i \leq 1000, \, 1 \leq u_i, v_i \leq n.$